# Program: BE Civil Engineering 

# Curriculum Scheme: Revised 2016 <br> Examination: Third Year SemesterV <br> Course Code: CEC501 and Course Name: Structural Analysis II 

Time: 1 hour
Max. Marks: 50

Note to the students:- All the Questions are compulsory and carry equal marks.

| Q1. | For a given truss: Member = 10, Reaction=4 and Joints=6, the truss is |
| :---: | :---: |
| Option A: | Statically determinate |
| Option B: | Statically indeterminate |
| Option C: | Stable |
| Option D: | Unstable |
| Q2. | In two hinged arches, how many unknown forces exist? |
| Option A: | One unknown |
| Option B: | Two unknowns |
| Option C: | Three unknowns |
| Option D: | Four unknowns |
| Q3. | The degree of static indeterminacy of the frame with a single bay double storey with both ends fixed is |
| Option A: | 4 |
| Option B: | 5 |
| Option C: | 6 |
| Option D: | 7 |
| Q4. | Internal deformation caused by real loads will be in a linear elastic member, when $P$ is normal force, $L$ is length of member, $A$ is cross-sectional area of member, $E$ is modulus of elasticity |
| Option A: | 1/4 PL/AE |
| Option B: | $1 / 3 \mathrm{PL} / \mathrm{AE}$ |
| Option C: | 1/2 PL/AE |
| Option D: | PL/AE |
| Q5. | A propped cantilever of span L is fixed at end $A$ and simply supported at end $B$. It is subjected to udl of intensity w per unit length. Then the reactions at $A$ and $B$ are |
| Option A: | $\mathrm{RA}=(5 / 8) \mathrm{WL}, \mathrm{RB}=(3 / 8) \mathrm{WL}$ |
| Option B: | $\mathrm{RA}=\mathrm{WL} / 2, \mathrm{RB}=\mathrm{WL} / 2$ |
| Option C: | $\mathrm{RA}=(3 / 8) \mathrm{WL}, \mathrm{RB}=(5 / 8) \mathrm{WL}$ |
| Option D: | $\mathrm{RA}=\mathrm{WL} / 4, \mathrm{RB}=(3 / 4) \mathrm{WL}$ |


| Q6. | The Compatibility equation form for Matrix method of flexibility is Where [DI] = Matrix of displacement in the structure due to redundant actually [DR] = Matrix of displacement in released structure due to load corresponding to unit action of load <br> [F] = Flexibility coefficient matrix <br> $[R]=$ Unknown support reaction matrix |
| :---: | :---: |
| Option A: | $\left[D_{1}\right]=\left[D_{R}\right]+[F][R]$ |
| Option B: | $\left[\mathrm{D}_{1}\right]=\left[\mathrm{D}_{\mathrm{R}}\right]-[\mathrm{F}][\mathrm{R}]$ |
| Option C: | $\left[D_{R}\right]=\left[D_{1}\right]-[F][R]$ |
| Option D: | $\left[\mathrm{D}_{\mathrm{R}}\right]=\left[\mathrm{D}_{\mathrm{l}}\right]+[\mathrm{F}][\mathrm{R}]$ |
| Q7. | The lack of fit if it is induced, all the members in the redundant frame will be in |
| Option A: | Stress |
| Option B: | Tension |
| Option C: | Compression |
| Option D: | zero force state |
|  |  |
| Q8. | The principle of superposition states that |
| Option A: | Total BMD = Free BMD+ Fixed BMD |
| Option B: | Total BMD $=$ Free BMD+ Fixed Shear |
| Option C: | Total BMD = Free BMD + Free Shear |
| Option D: | Total BMD= Free BMD+ Fixed Deflection |
|  |  |
| Q9. | The Flexibility in the structure can be defined as |
| Option A: | Displacement or rotation produced by unit force or moment |
| Option B: | Rotation produced by non-unit force |
| Option C: | Slope produced by non-unit force |
| Option D: | Unit displacement produced by non-unit force |
|  |  |
| Q10. | The order of matrix is defined in the flexibility is based on |
| Option A: | Number of Redundant present in the beam externally and available equilibrium equation |
| Option B: | Number of Redundant present in the beam internally |
| Option C: | Number of unknown reactions |
| Option D: | Equilibrium equation |
|  |  |
| Q11. | What is the relation in flexibility and stiffness matrix |
| Option A: | they are square matrix |
| Option B: | the diagonal elements are nonzero and having positive values |
| Option C: | element $\mathrm{ij}=$ element ji |
| Option D: | they are inverse of each other |
|  |  |
| Q12. | The effect of moment applied at one joint is calculated on the other opposite joint by multiplying the moment applied by a certain factor called as. |
| Option A: | Stiffness factor |
| Option B: | Shear factor |


| Option C: | Carry over factor |
| :---: | :---: |
| Option D: | Distribution factor |
| Q13. | How many slope deflection equations are possible if there are 4 supports |
| Option A: | 0 |
| Option B: | 6 |
| Option C: | 4 |
| Option D: | 3 |
| Q14. | The ratio of the stiffness of a beam at the near end when the far end is fixed to stiffness of the beam at the near end when the far end is hinged is |
| Option A: | 1.33 |
| Option B: | 0.33 |
| Option C: | 0.5 |
| Option D: | 1 |
| Q15. | Moment required to rotate near end of prismatic beam through unit angle, the far end being fixed, will be |
| Option A: | El/L |
| Option B: | 2EI/L |
| Option C: | 3EI/L |
| Option D: | 4EI/L |
| Q16. | In moment distribution method, the sum of distribution factor at the Fixed end is |
| Option A: | Infinity |
| Option B: | 1 |
| Option C: | 0.5 |
| Option D: | None of the option |
| Q17. | The carryover factor in a prismatic member whose far end is Hinge is |
| Option A: | 0 |
| Option B: | Half |
| Option C: | 0.75 |
| Option D: | 0.25 |
| Q18. | A propped cantilever beam of span L is loaded with u.d.I of intensityw/unit length, all through the span. Bending Moment at the fixedendis |
| Option A: | $\mathrm{WL}^{2} / 8$ |
| Option B: | $\mathrm{WL}^{2} / 4$ |
| Option C: | $\mathrm{WL}^{2} / 10$ |
| Option D: | WL ${ }^{\text {/ }} 12$ |
| Q19. | A two-span continuous beam having equal spans each of length $L$ is subjected to a uniformly distributed load w per unit length. End supports are Simply Supported. The beam has constant flexural rigidity. The bending moment at the middle support is |


| Option A: | $\mathrm{WL}^{2} / 4$ |
| :--- | :--- |
| Option B: | $\mathrm{WL}^{2} / 8$ |
| Option C: | $\mathrm{WL}^{2} / 10$ |
| Option D: | $\mathrm{WL}^{2} / 12$ |
|  |  |
| Q20. | The shape factor for a solid Diamond section with equal side as "a" is |
| Option A: | 2 |
| Option B: | 1.5 |
| Option C: | 2.5 |
| Option D: | 3 |
|  |  |
| Q21. | The moment which makes all the fibres at the section to yield is known as |
| Option A: | Flexural rigidity |
| Option B: | Moment of resistance |
| Option C: | Plasticmoment capacity |
| Option D: | Yield moment |
|  |  |
| Q22. | The plastic modulus of a section is 4.8×10-4 ${ }^{3}$. The shape factor is 1.2. The plastic <br> moment capacity of the section is 120 kN-m. The yield stress of the material is |
| Option A: | 100 Mpa |
| Option B: | 250 Mpa |
| Option C: | 240 Mpa |
| Option D: | 300 Mpa |
|  |  |
| Q23. | For a given structure subjected to a set of loads W, the value of W found to any <br> assumed mechanism must be either greater or equal to the collapse load W <br> c <br> called as |
| Option C: | Substitute Frame method |
| Option D: | Moment area Method |
| Option B: | Cantilever Method |
| Option A: | Static theorem |
| Option B: | Kinematic theorem |
| Option C: | Uniqueness theorem |
| Option D: | Bending theorem |
|  |  |
| Q24. | Which of the method is the Approximate method of Analyzing a Rigid Frame |
| Option A: | Flexibility Method |
| Option C: | Substitute Frame method |
| Option D: | Direct Stiffness Method |
|  | Slope Deflection Method |
| Q25. | Which of the following method of Analyzing building frame is used for Gravity <br> Load |
| Option |  |

