

Program: BE **Civil** Engineering

Curriculum Scheme: Revised **2012**

Examination: Third Year Semester **V**

Course Code: **CEC501** and Course Name: **SA II**

Time: 1hour

Max. Marks: 50

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Note to the students:- All the Questions are compulsory and carry equal marks .

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| Q1. | How many degrees of freedom are counted for a roller support while calculating Degree of kinematic indeterminacy |
| Option A: | 0 |
| Option B: | 1 |
| Option C: | 2 |
| Option D: | 3 |
| | |
| Q2. | For a two-hinged arch, if one of the supports settles down vertically, then the horizontal thrust |
| Option A: | is increased |
| Option B: | is decreased |
| Option C: | Remains unchanged |
| Option D: | Becomes zero |
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| Q3. | Degree of kinematic indeterminacy of a pin-jointed plane frame is given by |
| Option A: | $2j - r$ |
| Option B: | $j - 2r$ |
| Option C: | $3j - r$ |
| Option D: | $2j + r$ |
| | |
| Q4. | Which of the following method of structural analysis is a force method |
| Option A: | Slope-Deflection method |
| Option B: | Moment distribution method |
| Option C: | Clapeyrons theorem method |
| Option D: | Stiffness method |
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| Q5. | If temperature changes occurs then the deflection of each member in truss, where α =Coefficient of thermal expansion, t_c = rise in temp; N= Force in member & L= length of member is given by |
| Option A: | $\Delta = \alpha \sum (t_c N L)$ |
| Option B: | $\Delta = \alpha \sum (t_c N L)^2$ |
| Option C: | $\Delta = \alpha^2 \sum (t_c N L)$ |
| Option D: | $\Delta = \alpha \sum (t_c N L)/2$ |
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| Q6. | P1 and P2 are external load, Δ_1 and Δ_2 are displacement caused when force is increased from P1 to P2, what will be the external work performed during application of load? |
| Option A: | $\frac{1}{2} (p_1 \Delta_1 + p_2 \Delta_2)$ |
| Option B: | $\frac{1}{2} (p_2 \Delta_1 + p_1 \Delta_2)$ |
| Option C: | $p_1 \Delta_1 + p_2 \Delta_2$ |
| Option D: | $p_2 \Delta_1 + p_1 \Delta_2$ |
| | |
| Q7. | How is a truss, which undergoes rigid body translation for arbitrary load classified as |
| Option A: | Determinate structure |
| Option B: | Geometrically unstable structure |
| Option C: | Statically unstable structure |
| Option D: | Structurally unstable structure |
| | |
| Q8. | In flexibility method, If L is the length of beam, and then what are the upper and lower limits of the above integration? |
| Option A: | -L, L |
| Option B: | -L, 0 |
| Option C: | 0, L |
| Option D: | $\frac{1}{2} L$, L |
| | |
| Q9. | In flexibility method, the unknown quantities are _____, in stiffness method the unknown quantities are _____ respectively. |
| Option A: | Displacement, Force |
| Option B: | Force, Displacement |
| Option C: | Angle, Moment |
| Option D: | Moment, Angle |
| | |
| Q10. | The deformation of a spring produced by a unit load is called |
| Option A: | Stiffness |
| Option B: | Flexibility |
| Option C: | Influence coefficient |
| Option D: | Unit strain |
| | |
| Q11. | The lack of fit if it is induced, all the members in the redundant frame will be in |
| Option A: | Stress |
| Option B: | Tension |
| Option C: | Compression |
| Option D: | zero force state |
| | |
| Q12. | The flexibility coefficient represents |
| Option A: | displacement caused by a unit positive redundant action |
| Option B: | displacement caused by any load |
| Option C: | redundancy caused by the external reaction |
| Option D: | any load in the member |

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| Q13. | The order of matrix is defined in the flexibility is based on |
| Option A: | Number of Redundant present in the beam externally and available equilibrium equation |
| Option B: | Number of Redundant present in the beam internally |
| Option C: | Number of unknown reaction |
| Option D: | Equilibrium equation |
| | |
| Q14. | The ratio of the stiffness of a beam at the near end when the far end is hinged to the stiffness of the beam at the near end when the far end is fixed is |
| Option A: | $\frac{1}{2}$ |
| Option B: | 1 |
| Option C: | $\frac{1}{4}$ |
| Option D: | $\frac{3}{4}$ |
| | |
| Q15. | Moment distribution method is best suited for |
| Option A: | Indeterminate pin jointed truss |
| Option B: | Rigid frames |
| Option C: | Space Frame |
| Option D: | Composite structure |
| | |
| Q16. | In moment distribution method, the sum of distribution factors of all the members meeting at any joint is always |
| Option A: | Zero |
| Option B: | Less than 1 |
| Option C: | 1 |
| Option D: | Greater than 1 |
| | |
| Q17. | The ratio of stiffness factor for the member to the total stiffness of all the member at the joint is called as..... |
| Option A: | Stiffness factor |
| Option B: | Shear factor |
| Option C: | Carry over factor |
| Option D: | Distribution factor |
| | |
| Q18. | If the free end of a cantilever of span L and flexural rigidity EI, undergoes a unit displacement (without rotation), what is the bending moment induced at fixed end? |
| Option A: | $\frac{3EI}{L^2}$ |
| Option B: | $\frac{4EI}{L^2}$ |
| Option C: | $\frac{5EI}{L^2}$ |
| Option D: | $\frac{6EI}{L^2}$ |
| | |
| Q19. | A rigid frame ABCD has AB member as overhang, with end A being free. Support C and D are fixed. DB is vertical member and BC is horizontal member. DB=BC=5m. If the moment equation are given by. $M_{DB}=0.4EI\theta_B$, $M_{BD}=0.8EI\theta_B$ |

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| | $M_{BA}=54$, $M_{BC}=-135+1.6EI\theta_B$, $M_{BC}=135+1.6EI\theta_B$, then rotation at B is given by |
| Option A: | $-112.5/EI$ |
| Option B: | $33.75/EI$ |
| Option C: | 0 |
| Option D: | $10/EI$ |
| | |
| Q20. | If the displacement at the co-ordinate “ i” due to unit force at co-ordinate j is δ_{ij} then according to flexibility method |
| Option A: | $\delta_{ij}=\delta_{ij}$ |
| Option B: | $\delta_{ij} \geq \delta_{ij}$ |
| Option C: | $\delta_{ij} \leq \delta_{ij}$ |
| Option D: | $\delta_{ij} \neq \delta_{ij}$ |
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| Q21. | The shape factor does not depend on _____ |
| Option A: | Material Properties |
| Option B: | Cross-sectional shape |
| Option C: | Moment of resistance |
| Option D: | Section modulus |
| | |
| Q22. | The plastic modulus of a section is $4.8 \times 10^{-4} \text{ m}^3$. The shape factor is 1.2. The plastic moment capacity of the section is 120kN-m. The yield stress of the material is |
| Option A: | 100 Mpa |
| Option B: | 250 Mpa |
| Option C: | 240 Mpa |
| Option D: | 300 Mpa |
| | |
| Q23. | A cantilever beam of length l, width b and depth d is loaded with a concentrated vertical load at the tip. If yielding starts at a load P, the collapse load shall be |
| Option A: | 2.0 P |
| Option B: | 1.5 P |
| Option C: | P |
| Option D: | 1.2 P |
| | |
| Q24. | In a plastic analysis of structures, the segment between any two successive plastic hinges is assumed to deform as |
| Option A: | A plastic material |
| Option B: | A rigid material |
| Option C: | An elastic material |
| Option D: | An inelastic material |
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| Q25. | What is plastic hinge |
| Option A: | zone of bending due to flexure in a structural member |

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| Option B: | zone of yielding due to flexure in a structural member |
| Option C: | zone of non-yielding due to flexure in a structural member |
| Option D: | zone of yielding due to twisting in a structural member |